Quantitative descriptors of arterial flows

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OUTLINE

• History & rationale for the visualization of complex arterial flows
• Clinical motivations
• Wall Shear Stress descriptors
• Bulk flow descriptors
• Examples of applications in Computational Fluid Dynamics
• Examples of applications in in vivo imaging
Medical images: from form...

Visualizations are meant to facilitate a better understanding at the conceptual level and to open new venues of scientific investigation. Visual representations moved from the representation of the shape and location of arteries to the attempt to understand causes and consequences of alterations in blood dynamics.

[Leonardo Da Vinci, Vesalius De Corporis Fabrica, Grey 1918]
...to function: How to conceptualize the physical phenomena?

[Peskin et al., 2005]
...to function:
How to conceptualize the physical phenomena?

[Markl et al., 2011]
Challenges in virtual imaging

[Steinman & Steinman, 2003]
Visualization Pipeline

measurement → artifacts & noise → image processing
  e.g., quantification, feature extraction, phase unwrapping

uncertainty

modeling

assumptions & approximations → visualization
  e.g., particles, integral lines, integral surfaces, textures

[Van Pelt et al., 2013]
Why do we need complex arterial flows visualizations?

Debakey et al. [1985] showed that the localization of vascular diseases at arterial branches and bends could be **explained by the presence of complex blood flow patterns** at those sites.

Methods of **data reductions are needed** in order to:

- Reduce the complexity of blood flow
- Characterize blood flow dynamics and allow quantitative assessment and comparisons
- Quantify hemodynamic disturbances and ease the clinical interpretation of disturbed flow
- . . .

[Debakey et al., 1985]
Atherosclerosis

- Atherosclerosis is a progressive local thickening of arteries characterized by lipid deposits in the wall.
- Focal distribution: key role of hemodynamics.
Atherosclerosis

Focal Disease
Bends - Branches - Bifurcations

“Disturbed” Blood Flow

Endothelial Flow-Mediated Response
Atherosclerosis

Evidences suggest that initiation and progression of atherosclerotic disease is influenced by “disturbed flow”.

**Aggravating Flow Events**
- Flow Separation/Reattachment
- Low Oscillatory Wall Shear
- Vortical Flows
- Stagnation Point Flows
- High Shear Stress Regions
- Hypertension Flows
- Long Particle Residence Times

**Abnormal Biological Events**
- Endothelial Cell Dysfunction
- Injury of Endothelium
- Enhanced Wall Permeability
- Wall Influx of LDL and Monocytes
- Aggregation/Deposition of Platelets, Fibrin, SMC Proliferation

**Indicator Functions**
- Wall Shear Stress (WSS)
- Variations of WSS, i.e., Shear Index, Gradient, Angle Deviation, etc.
- Normal Pressure Gradient
- Particle Deposition Patterns
- Wall Particle Density (WPD)

**Blood Vessel Diseases**
- Atherosclerosis
- Hyperplasia
- Thrombosis
Hemodynamic factors

The role played by haemodynamic forces acting on the vessel wall is fundamental in maintaining the normal functioning of the circulatory system, because arteries adapt to long term variations in these forces. That is, arteries attempt to re-establish a physiological condition by:

- dilating and subsequently remodelling to a larger diameter in the presence of increased force magnitude
- remodelling to a smaller diameter, or thickening the intimal layer, in the presence of decreased force magnitude.

[Malek et al., 1999]
Wall Shear Stress - WSS

- The Wall Shear Stress (WSS), $\tau_W$, is given by:

$$\tau_W = \mu \left( \frac{\partial u}{\partial y} \right)_{y=0}$$

Where $\mu$ is the dynamic viscosity, $u$ is the velocity parallel to the wall and $y$ is the distance to the wall.

- Low and oscillating WSS has been proposed as a localizing factor of the development of atherosclerosis.
WSS can change the morphology and orientation of the endothelial cell layer: endothelial cells subjected to a laminar flow with elevated levels of WSS tend to elongate and align in the direction of flow, whereas in areas of disturbed flow endothelial cells experience low or oscillatory WSS and they look more polygonal without a clear orientation, with a lack of organization of the cytoskeleton and intercellular junctional proteins.

Left: F-actin organization in bovine aortic ECs before and after the application of a steady shear stress. Note extensive F-actin remodeling.
Right: Bovine aortic ECs before flow and after. The cells elongate and align in the direction of flow. [Barakat, 2013]
WSS on Endothelial Cells (ECs)

[Malek et al., 1999]
Tool for WSS descriptors: CFD

Imaging + Computational Fluid Dynamics (CFD):
reconstruction of complex WSS patterns with a high spatial and temporal resolution.

[Steinman 2002]
WSS Descriptors:
Time Averaged WSS

- Time-Averaged Wall Shear Stress (TAWSS) can be calculated by integrating each nodal WSS vector magnitude at the wall over the cardiac cycle.
- Low TAWSS values (lower than 0.4 Pa) are known to stimulate a proatherogenic endothelial phenotype.
- Moderate (greater than 1.5 Pa) TAWSS values induces quiescence and an atheroprotective gene expression profile.
- High TAWSS values (greater than 10-15 Pa, relevant from 25-45 Pa) can lead to endothelial trauma.

\[
TAWSS = \frac{1}{T} \int_{0}^{T} |WSS(s, t)| \cdot dt
\]

[Malek et al., 1999]
WSS Descriptors: Oscillatory Shear Index

- Oscillatory Shear Index (OSI) is used to identify regions on the vessel wall subjected to highly oscillating WSS directions during the cardiac cycle. These regions are usually associated with bifurcating flows and flow patterns strictly related to atherosclerotic plaque formation and fibrointimal hyperplasia.
- Low OSI values occur where flow disruption is minimal
- High OSI values (with a maximum of 0.5) highlight sites where the instantaneous WSS deviates from the main flow direction in a large fraction of the cardiac cycle, inducing perturbed endothelial alignment.

\[
OSI = 0.5 \left[ 1 - \frac{\int_0^T \mathbf{WSS}(s, t) \cdot dt}{\int_0^T |\mathbf{WSS}(s, t)| \cdot dt} \right] \quad 0 \leq OSI \leq 0.5
\]

[Ku et al., 1985]
WSS Descriptors: Relative Residence Time

- Relative Residence Time (RRT) is inversely proportional to the magnitude of the time-averaged WSS vector (i.e., the term in the numerator of the OSI formula).
- Recommended as a robust single descriptor of “low and oscillatory” shear [Lee et al., 2009].

\[
RRT = \frac{1}{(1 - 2 \cdot OSI) \cdot T \cdot \text{AWSS}} = \frac{T}{\int_0^T \text{WSS}(s,t) \cdot dt}
\]
WSS Descriptors: Gradient-based descriptors

- WSS spatial gradient (WSSG) is a marker of endothelial cell tension. It is calculated from the WSS gradient tensor components parallel and perpendicular to the time-averaged WSS vector (m and n, respectively) [Depaola et al., 1992].

\[
WSSG = \frac{1}{T} \int_0^T \sqrt{\left(\frac{\partial \tau_{w,m}}{\partial m}\right)^2 + \left(\frac{\partial \tau_{w,n}}{\partial n}\right)^2} \, dt
\]

- The WSS angle gradient (WSSAG) highlights regions exposed to large changes in WSS direction, irrespective of magnitude. This is done by calculating, for each element’s node (index j), its direction relative to some reference vector (index i, e.g. that at the element’s centroid) [Longest et al., 2000].

\[
WSSAG = \frac{1}{T} \int_0^T \left| \frac{1}{A_i} \int \int \nabla \phi_j dA_i \right| \, dt, \quad \phi_j = \cos^{-1}\left(\frac{\tau_{w,i} \cdot \tau_{w,j}}{|\tau_{w,i}| \cdot |\tau_{w,j}|}\right)
\]

- WSS temporal gradient is the maximum absolute rate of change in WSS magnitude over the cardiac cycle.

\[
WSST = \max\left(\left|\frac{\partial|\tau_w|}{\partial t}\right|\right)
\]
WSS Descriptors: Harmonic-based descriptors

The harmonic content of the WSS waveforms can be a possible metric of disturbed flow. This statement is enforced by results revealing that endothelial cells sense and respond to the frequency of the WSS profiles.

- The time varying WSS magnitude at each node can be Fourier-decomposed, and the dominant harmonic (DH) is defined as the harmonic with the highest amplitude [Himburg & Friedman, 2006].

\[
DH = \max(F_w(n\omega_0)), \quad F_w = \text{FFT}(|\tau_w|), \quad \omega_0 = 2\pi/T
\]

- The harmonic index (HI) is defined as the relative fraction of the harmonic amplitude spectrum arising from the pulsatile flow components [Gelfand et al., 2006].

\[
HI = \frac{\sum_{n=1}^{\infty} F_w(n\omega_0)}{\sum_{n=0}^{\infty} F_w(n\omega_0)}
\]
A matter of information...

The WSS-descriptors provide essentially the same information about disturbed flow and many of them can be considered redundant!

[Lee et al., 2009]
And the bulk flow?

The need for a reduction of the complexity of highly four-dimensional blood flow fields, aimed at identifying hemodynamic actors involved in the onset of vascular pathologies, was driven by histological observations on samples of the vessel wall.

Disturbed flow within arterial vasculature has been primarily quantified in terms of WSS-based metrics.

This strategy was applied notwithstanding arterial hemodynamics is an intricate process that involves interaction, reconnection, and continuous re-organization of structures in the fluid!

The investigation of the role played by the bulk flow in the development of the arterial disease needs robust quantitative descriptors with the ability of operating a reduction of the complexity of highly 4D flow fields.

[Morbiducci et al., 2010]
## Eulerian vs. Lagrangian

<table>
<thead>
<tr>
<th>Lagrangian</th>
<th>Eulerian</th>
</tr>
</thead>
<tbody>
<tr>
<td>+ Visualizations</td>
<td>+ Simplicity</td>
</tr>
<tr>
<td>+ Three dimensionality/ Four dimensionality (i.e., space and time)</td>
<td>+ Picture of the entire flow</td>
</tr>
<tr>
<td>+ Highlight of the recirculation zones</td>
<td>+ Timing</td>
</tr>
<tr>
<td>+ Characterization of unsteady flow patterns</td>
<td>+ Real time analysis</td>
</tr>
<tr>
<td>+ More immediate understanding of the fluid motion</td>
<td>+ Its immediateness is attractive for clinicians</td>
</tr>
<tr>
<td>+ Path dependent quantities</td>
<td></td>
</tr>
<tr>
<td>+ Dynamical path history</td>
<td></td>
</tr>
<tr>
<td>+ Division of particles into groups regardless of position</td>
<td></td>
</tr>
<tr>
<td>- Convectiveness: less control over the zone of investigation</td>
<td></td>
</tr>
<tr>
<td>- Computational cost</td>
<td></td>
</tr>
<tr>
<td>- Timing: it is difficult to picture the flow at a specific time instant</td>
<td></td>
</tr>
</tbody>
</table>

[Gallo et al., 2013]
How to reduce flow complexity?

Helicity influences evolution and stability of both turbulent and laminar flows [Moffatt and Tsinober, 1992]. Helical flow patterns in arteries originate to limit flow instabilities potentially leading to atherogenesis/atherosclerosis.

An arrangement of the bulk flow in complex helical/vortical patterns might play a role in the tuning of the cells mechano-transduction pathways, due to the relationship between flow patterns and transport phenomena affecting blood-vessel wall interaction, like residence time of atherogenic particles.

The helical structure of blood flow was measured calculating the Helical Flow Index (HFI) over the trajectories of the Np particles present within the domain:

\[ H_k(s; t) = \mathbf{V} \cdot (\nabla \times \mathbf{V}) = \mathbf{V}(s; t) \cdot \mathbf{\omega}(s; t) \]

The Local Normalized Helicity (LNH) is defined as:

\[ \text{LNH}(s; t) = \frac{\mathbf{V}(s; t) \cdot \mathbf{\omega}(s; t)}{||\mathbf{V}(s; t)|| \cdot ||\mathbf{\omega}(s; t)||} = \cos \varphi(s; t) \]

The helical structure of blood flow was measured calculating the Helical Flow Index (HFI) over the trajectories of the Np particles present within the domain:

\[ h_{fi_k} = \frac{1}{(T_k^{\text{end}} - T_k^{\text{start}})} \int_{T_k^{\text{start}}}^{T_k^{\text{end}}} |\text{LNH}_k(\zeta)| \, d\zeta \]

\[ \text{HFI} = \frac{1}{N_p} \sum_{k=1}^{N_p} h_{fi_k} \quad 0 \leq \text{HFI} \leq 1 \]

where Np is the number of points j (j = 1:Np) along the k-th trajectory.

[Grigioni et al. 2005, Morbiducci et al. 2007]
### Helicity - Eulerian Metrics

<table>
<thead>
<tr>
<th>Descriptor</th>
<th>Definition</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>$h_1$</td>
<td>$\frac{1}{V} \int_{V_1} \int_{V_2} H_k , dV , dt$</td>
<td>Integral measure of helicity, accounting for changes in sign of $H_k$.</td>
</tr>
<tr>
<td>$h_2$</td>
<td>$\frac{1}{V} \int_{V_1} \int_{V_2}</td>
<td>H_k</td>
</tr>
<tr>
<td>$h_3$</td>
<td>$\frac{h_1}{h_2}$</td>
<td>As for $h_3$, but neglecting what is the major direction of rotation.</td>
</tr>
<tr>
<td>$h_4$</td>
<td>$\int_{V_1} \int_{V_2} \frac{dV_d}{dt}$</td>
<td>Ratio between the volumes of the fluid domain occupied by helical rotating structures. The volume occupied by the dominant direction ($V_d$) of rotation is the numerator, the volume occupied by the minor direction of rotation ($V_m$) being the denominator.</td>
</tr>
<tr>
<td>$h_5$</td>
<td>$\int_{V_1} \int_{V_2} \frac{dV_m}{dt}$</td>
<td>Ratio between the mean volumetric helicity values over the volume occupied by the dominant and the minor direction of rotation.</td>
</tr>
</tbody>
</table>

[Gallo et al., 2012]
Hemodynamic Descriptors
Examples of *in silico* and *in vivo* applications
Influence of Blood Rheology

Background

- CFD modeling requires assumptions
- Blood widely assumed as a Newtonian fluid

Aim

Evaluate the influence of blood rheological properties on WSS and bulk flow

[Morbiducci et al., 2011]
Computational Models

- Image-based 3D models of carotid bifurcation from CT images
- Discretisation in $1.4 \times 10^6$ (A), $1.2 \times 10^6$ (B) cells (Gambit, ANSYS)
- CFD code based on finite volume method (Fluent 6.3.2, ANSYS)
- Unsteady flow conditions and rigid walls with no-slip conditions
- Fixed flow rate distribution of 60/40 at ICA and ECA outlet sections

CCA - common carotid artery
ECA - external carotid artery
ICA - internal carotid artery
Rheological Models

Blood assumed:
- isotropic
- incompressible ($\rho=1060 \text{ kg/m}^3$)
- Newtonian model with $\mu = 3.5 \text{ cP}$ (reference model, $Ht = 43\%$)

Non-Newtonian models:
- Ballyk model
  \[
  \mu(\dot{\gamma}) = \lambda(\dot{\gamma}) \dot{\gamma}^n(\dot{\gamma})^{-1}
  \]
- Carreau model
  \[
  \mu(\dot{\gamma}) = \mu_\infty + (\mu_0 - \mu_\infty) \left[1 + (\lambda \dot{\gamma})^2\right]^{n-\frac{1}{2}}
  \]

viscosity function ($\mu$) dependent on shear rate ($\mu_\infty = 3.5 \text{ cP}$, models tuned according to mean $Ht = 43\%$)
Newtonian models with viscosity derived from the Carreau model at characteristic shear rates [Gijsen et al. 1999]:

\[ \dot{\gamma}_c = \frac{8V}{3R} \]

Corresponding to the minimum and mean inlet flow rate.

<table>
<thead>
<tr>
<th></th>
<th>( \dot{\gamma}_c^{\text{MIN}} ) [s(^{-1})]</th>
<th>( \mu_c^{\text{MIN}} ) [cP]</th>
<th>Ht</th>
<th></th>
<th>( \dot{\gamma}_c^{\text{MEAN}} ) [s(^{-1})]</th>
<th>( \mu_c^{\text{MEAN}} ) [cP]</th>
<th>Ht</th>
</tr>
</thead>
<tbody>
<tr>
<td>A</td>
<td>79.68</td>
<td>4.14</td>
<td>0.48</td>
<td></td>
<td>122.90</td>
<td>3.96</td>
<td>0.47</td>
</tr>
<tr>
<td>B</td>
<td>82.04</td>
<td>4.12</td>
<td>0.48</td>
<td></td>
<td>126.10</td>
<td>3.95</td>
<td>0.47</td>
</tr>
</tbody>
</table>
### Results - WSS Descriptors

On regions exposed to low and oscillating WSS, the absolute percentage differences with respect to Newt35 are up to:

<table>
<thead>
<tr>
<th></th>
<th>TAWSS</th>
<th>OSI</th>
<th>RRT</th>
</tr>
</thead>
<tbody>
<tr>
<td>Max % diff. vs. Newt35</td>
<td>12.5%</td>
<td>4.5%</td>
<td>28.0%</td>
</tr>
<tr>
<td>Rheological model</td>
<td>$\mu_c^\text{MIN}$</td>
<td>Ballyk</td>
<td>$\mu_c^\text{MEAN}$</td>
</tr>
<tr>
<td>Max % diff. vs. Newt35</td>
<td>39.8%</td>
<td>8.0%</td>
<td>14.7%</td>
</tr>
<tr>
<td>Rheological model</td>
<td>Ballyk</td>
<td>Ballyk</td>
<td>Carreau</td>
</tr>
</tbody>
</table>
Results - Helical flow

A

Newt35  Ballyk  Carreau  \( \mu_C^{\text{MEAN}} \)  \( \mu_C^{\text{MIN}} \)

ECA  ICA

B

Newt35  Ballyk

ECA  ICA

T2

T4

hfi > 0.3
Conclusions

The assumption of **Newtonian behaviour** is **reasonable** in the context of currently available level of uncertainty related to geometric reconstruction (differences in WSS-based parameters of 48% [Thomas et al. 2005]) both for WSS-based parameters and bulk flow descriptors.

Geometric reconstruction has primary influence on physiologically significant indicators.
Influence of Outlet BCs

Computational results are very sensitive to the type of boundary conditions (BCs) employed for the model.

Since the computational model is studied as isolated from the rest of the arterial tree, the outlet BC should represent downstream vasculature.

Aim

A coupled multiscale (MS) model is proposed to study the influence of outflow BCs on TAWSS, OSI, RRT, HFI.

[Morbiducci et al., 2010]
The 3D model is coupled with a 0D lumped parameters $RCR$ model.

Case studies:
- Multiscale
- ICA/ECA flow division:
  - 50/50
  - 60/40
  - 70/30
Results - WSS Descriptors

Max % diff. vs. MS

<table>
<thead>
<tr>
<th>Flow division</th>
<th>TAWSS</th>
<th>OSI</th>
<th>RRT</th>
</tr>
</thead>
<tbody>
<tr>
<td>50/50</td>
<td>22.9%</td>
<td>37.3%</td>
<td>16.6%</td>
</tr>
</tbody>
</table>
The coupled model is characterized by the **most damped dynamics** in term of helical flow.
Conclusions

• With the use of a multiscale approach, it is possible to model a realistic (physical) downstream BCs for carotid bifurcation

• The coupled simulation damps WSS oscillations and helical flow dynamics, reducing the complexity of the flow within the bifurcation.

• Percentage variations observed are greater than the ones observed varying blood rheology.

• The coupling strategy is recommended when hemodynamics measurements are not available, when predicting the outcome of alternate therapeutic intervention, or to relate local factors to global factors in vascular disease.
Relationships among WSS descriptors and helical flow descriptors

CFD models as proof of concept for the **discovery of relationships among measurable quantities** [Harloff et al. 2009; Morbiducci et al. 2011] and exposure to disturbed shear

**Aim**

Demonstration that bulk flow feature analysis offer a practical way to large scale in vivo studies of local risk factors.

[Gallo et al., 2012]
Computational Dataset

Image-based 3D models of carotid bifurcation from black blood MRI

CFD code based on finite element method

Metrics for disturbed shear: fraction of the luminal surface exceeding a objective threshold of TAWSS, OSI and RRT.

[Lee et al. 2008]
RRT results
LNH visualizations
Relationship WSS - helicity

<table>
<thead>
<tr>
<th>(P&lt;0.0001)</th>
<th>$V_{FULL}$</th>
<th>$V_1$</th>
<th>$V_{CCA}$</th>
<th>$V_{ICA}$</th>
<th>$V_{CCA+ICA}$</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>RRT80</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$R^2_{adj}$</td>
<td>0.576</td>
<td>0.685</td>
<td>0.646</td>
<td>0.396</td>
<td>0.521</td>
</tr>
<tr>
<td>Model</td>
<td>${h_2,h_4}$</td>
<td>${h_2}$</td>
<td>${h_2}$</td>
<td>${h_2,h_4}$</td>
<td>${h_2,h_4}$</td>
</tr>
<tr>
<td><strong>RRT90</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$R^2_{adj}$</td>
<td>0.461</td>
<td>0.599</td>
<td>0.547</td>
<td>0.352</td>
<td>0.396</td>
</tr>
<tr>
<td>Model</td>
<td>${h_2,h_4}$</td>
<td>${h_2}$</td>
<td>${h_2}$</td>
<td>${h_2,h_4}$</td>
<td>${h_2,h_4}$</td>
</tr>
</tbody>
</table>

- Surface area (SA) exposed to disturbed shear can be described by:

$$SA = \beta_0 - \beta_1 \frac{1}{TV_i} \int \int |H_k| dV dt + \beta_2$$
Conclusions

- A high amount of helicity is instrumental in suppressing flow disturbances; this protective effect can be moderated when one direction of rotation is dominant in the flow field.

- The helicity-based descriptors defined in this section could be used to classify risk and identify individuals at greater susceptibility for vascular disease in carotid bifurcation.

- Bulk flow feature analysis offer a practical way to large scale studies of local risk factors providing measurable indicators of potential clinical use.
Summary - carotid bifurcation

[Gallo et al., 2013]
Coronary artery stenting

[Chiastra et al., 2013]
Thoracic Aorta

PC-MRI Acquisition

Geometric Model Reconstruction

AAo - ascending aorta
BCA - brachiocephalic artery
LCCA - left common carotid artery
LSA - left subclavian artery
DAo - descending aorta

BCs & 4D Velocity Profiles Extraction

- Solver: Fluent 6.3 (ANSYS)
- Newtonian blood rheology model (Ht: 43%, ρ: 1060 kg/m³, μ: 3.5 cP)
- Rigid walls are assumed

[Gallo et al., 2012]
### Outlet BCs strategies

**Indicators:** TAWSS, OSI, RRT

[Gallo et al., 2012]

<table>
<thead>
<tr>
<th>Outlet Treatment Scheme</th>
<th>BCA</th>
<th>LCCA</th>
<th>LSA</th>
<th>DAo</th>
</tr>
</thead>
<tbody>
<tr>
<td>S1</td>
<td>COR</td>
<td>COR</td>
<td>COR</td>
<td>SF</td>
</tr>
<tr>
<td>S2</td>
<td>SF</td>
<td>SF</td>
<td>SF</td>
<td>MFR</td>
</tr>
<tr>
<td>S3</td>
<td>SF</td>
<td>SF</td>
<td>SF</td>
<td>SF</td>
</tr>
<tr>
<td>S4</td>
<td>COR</td>
<td>COR</td>
<td>SF</td>
<td>MFR</td>
</tr>
<tr>
<td>S5</td>
<td>MFR</td>
<td>SF</td>
<td>SF</td>
<td>MFR</td>
</tr>
<tr>
<td>S6</td>
<td>MFR</td>
<td>MFR</td>
<td>MFR</td>
<td>SF</td>
</tr>
</tbody>
</table>

MFR: Measured Flow Rate Waveform  
SF: Stress-free condition  
COR: Constant Outflow Ratio (measured fraction of AAo inlet flow rate)
4D measured velocity profiles

Compared to:
- measured profile, normal component
- developed profile
- plug profile

[Morbiducci et al., 2013]
Results - Outlet BCs strategies

Differences in TAWSS up to 49%

Major differences: downstream of the supra-aortic vessels due to different suction conditions.

[Gallo et al., 2012]
Results - Measured velocity profiles

[Morbiducci et al., 2013]
Results - Measured velocity profiles

[Morbiducci et al., 2013]
Conclusions

- Different BCs schemes influence flow separation and reattachment and as a consequence WSS-based descriptors;
- A proper distribution of total flow is needed.
- Assumptions on idealized velocity profiles largely affect WSS descriptors and bulk flow.
- Need of fully personalized, subject-specific analysis of the aorta hemodynamics, with respect to simulations based on defective data BCs.
4D Phase Contrast MRI

4D Phase Contrast MRI (PC MRI) allows for visualization and quantification of large arteries hemodynamics.

The 4D flow raw data comprises information along all three spatial dimension, three velocity directions, and time in the cardiac cycle.

A 3D PC-MRI (B, isosurface rendering of the aorta) can be calculated from the 4D flow data to aid visualization (here: systolic 3D streamlines) and placement of analysis planes for retrospective flow quantification (here, flow rates).

[Markl et al., 2012]
4D Phase Contrast MRI: Moving to bedside?

Incorporating time-resolved three-dimensional phase contrast (4D flow) MRI in clinical workflow: initial experiences at a large tertiary care medical center

Bradley D Allen*, Alex J Barker, Keyur Parekh, Lewis C Sommerville, Susanne Schnell, Kelly B Jarvis, Maria Carr, James Carr, Jeremy Collins, Michael Markl

From 16th Annual SCMR Scientific Sessions
San Francisco, CA, USA. 31 January - 3 February 2013
4D PC MRI: Aorta Hemodynamics

Blood flow in the aorta is highly complex. In the past massive observations demonstrated:

- Helical flow is a basic pattern for almost all the subjects no matter age and gender
- It predominates in areas from the ascending aorta to the aortic arch

[ Kilner et al., 1993]

However, there is a relative paucity of in vivo quantitative data regarding helical blood flow dynamics in the human aorta.

Kilner et al., 1993
4D PC MRI: Aorta Hemodynamics

Identify common features in physiological aortic bulk flow topology

How
In vivo aortic helical flow quantification in 5 healthy humans by applying 4D PC MRI + tools derived from CFD, by using a Lagrangian representation of the aortic flow.

[Morbiducci et al., 2011]
Evolution of the particle set emitted after peak systole is strongly characterized by helical structures.

[Morbiducci et al., 2011]
4D Evolution of Aortic Flow

[Morbiducci et al., 2011]
4D Evolution of Aortic Flow

[Morbiducci et al., 2011]
4D Evolution of Aortic Flow

The flow deceleration phase is dominated by the fluid rotational momentum, resulting in coherent helical and bi-helical patterns appearing in the ascending aorta.

[Morbiducci et al., 2011]
Helicity Quantitative Analysis

Common features:

• particle sets emitted after peak-systole, highest helical content

• particle sets emitted during acceleration phase characterized by similar trends in HFI values

Bulk flow helical content depends upon the evolution of the flow through the aorta
Conclusions

Incorporation of 4D PC MRI into basic research is a current practice, even if more qualitative than quantitative approach.

Incorporation of 4D PC MRI into clinical workflow is feasible.

Technological constraints limit 4D PC MRI translation to clinical practice:
- Scanners spatial/temporal resolution
- Scan time
- Computational cost

In the future, technological evolution will allow for more reliable quantitative analysis (fusion of image processing and CFD algorithms applied to in vivo data), to be used for diagnostic purpose and risk stratification.
4D PC MRI Applications

[Geiger et al., 2012]
4D PC MRI Applications

A. Pulmonary artery stenosis Following Second Heart Transplant

B. Bicuspid Aortic Valve and Aortic Coarctation

C. Severe Aortic Regurgitation

A- Pulmonary artery stenosis  B- Aortic coarctation bicuspid valve
C- Aortic regurgitation

[Allen et al., 2013]
4D PC MRI Applications

Altered WSS with bicuspid heart valve
[Barker et al., 2010]
4D PC MRI Applications

Distorted aorta

[Markl et al., 2011]
Portal vein hemodynamics in patients with cirrhosis [Stankovic et al., 2012]
Hemodynamic alterations after heart transplantation

[Markl et al., 2011]
4D PC MRI Applications

Carotid bifurcation hemodynamics

[Markl et al., 2010]
4D PC MRI Measurements - Caveat

• They show poor sensitivity to low values of velocity (only partially overcome by setting multiple velocity encoding).

• Averaging of the measurement in space and time.

• They are restricted by a spatial resolution between 1.4mm and 2.4mm: WSS underestimation of one order of magnitude with respect to CFD [Frydrychowicz et al., 2011].

• Difficulty of lumen edge definition.

4D PC MRI measurements are reliable for bulk flow quantities, while for WSS several limitations affect the accuracy of the results.

[Frydrychowicz et al., 201; Boussel et al., 2009, Gallo et al., 2013]
Blood flow data contain valuable information for diagnosis, prognosis, and risk assessment of cardiovascular diseases. Conventional inspection is insufficient to extract useful information. Thus, comprehensive visualization techniques are necessary to effectively communicate blood-flow dynamics and facilitate the analysis.

Hemodynamics descriptors are used to visualize disturbed flow, to perform quantitative comparisons and to measure hemodynamic performances of surgical interventions, device optimization, follow-up studies.

Effective flow visualizations facilitates a better understanding of the physical phenomena and also open new venues of scientific investigation.
Selected Publications


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